

Name: \_\_\_\_\_

Forces and Motion 2

Mark Scheme

**Date:**

**Time:**

**Total marks available:**

**Total marks achieved:** \_\_\_\_\_

## **Mark Scheme**

Q1.

Question Number	Answer	Mark
	C	1

Q2.

Question Number	Acceptable answers	Additional guidance	Mark
	<ul style="list-style-type: none"> <li>• Initial <u>acceleration</u> due to a resultant force (1)</li> <li>• Decreasing acceleration as resistive forces increase (1) Or Decreasing acceleration as resultant force decreases</li> <li>• No acceleration as resultant force is zero (1) Or constant velocity as resultant force is zero</li> </ul>	<p>Accept reference to gradient of graph for acceleration for MP2 &amp; MP3.</p> <p>Accept terminal velocity for constant velocity</p>	3

Q3.

Question Number	Answer	Mark
(a)	<p>This can be marked in terms of the train either initially stationary or moving with constant speed.</p> <p>State <math>N_1</math> in terms of <math>\Sigma F \Rightarrow 0</math>            e.g. An unbalanced/net/resultant/total/<math>\Sigma F</math> force of zero gives constant speed/velocity/motion (1)</p> <p>(the friction between floor and feet) accelerate the feet            Or (friction between floor and feet) creates an unbalanced/net/resultant/total force on feet (1)</p> <p>the train accelerates but the man continues travelling at the original/constant speed            Or the top half has no (resultant) force as the train accelerates            Or the man's speed relative to the train is lower            Or (All of the) man needs to accelerate at the same rate as the train (1)</p>	3
* (b)	<p>(QWC – work must be clear and organised in a logical manner using technical terminology where appropriate)</p> <p>Man pulls (backward) on the support (1)</p> <p>Due to <math>N_3</math> the support exerts a (opposite) force on the man (1)</p> <p>This force is a resultant/unbalanced/net force on man (1)</p> <p>Due to <math>N_1/N_2</math> the man will accelerate (1)</p> <p>With the same acceleration/speed/velocity as the train (1)</p>	5
<b>Total for question</b>		<b>8</b>

Q4.


Question Number	Answer		Mark																								
(a) (i)	<p>Each row of the table contains a suitable method. One mark for each column, do not allow a mix and match of methods (rows)</p> <table border="1" data-bbox="236 241 1294 1420"> <thead> <tr> <th data-bbox="236 241 469 383">Distance measured with the metre rule</th> <th data-bbox="469 241 762 383"><u>Corresponding</u> time</th> <th data-bbox="762 241 1000 383"><u>Correct</u> use of measurements referred to in columns 1 and 2</th> <th data-bbox="1000 241 1294 383">To calculate g use: (formula/expression seen)</th> </tr> </thead> <tbody> <tr> <td data-bbox="236 383 469 517">Record the position on the rule for each frame</td> <td data-bbox="469 383 762 517">Time between frames</td> <td data-bbox="762 383 1000 517">Plot distance against <math>t^2</math></td> <td data-bbox="1000 383 1294 517"><math>g = 2 \times \text{gradient}</math></td> </tr> <tr> <td data-bbox="236 517 469 689">Measure distance between (successive) frames against a metre rule</td> <td data-bbox="469 517 762 689">Time between frames</td> <td data-bbox="762 517 1000 689">Calculate the speed each frame using distance /time and plot against time</td> <td data-bbox="1000 517 1294 689"><math>g = \text{gradient}</math></td> </tr> <tr> <td data-bbox="236 689 469 958">Use metre rule to measure: (total) distance ball falls through <b>Or</b> height from which the ball was dropped (e.g. 1 m)</td> <td data-bbox="469 689 762 958">Number of frames <math>\times</math> time between frame <b>Or</b> total time of journey recorded/found</td> <td data-bbox="762 689 1000 958">Use of: <math>s = ut + \frac{1}{2} at^2</math> <b>Or</b> <math>s = \frac{1}{2} at^2</math> <b>Or</b> <math>s = \frac{1}{2} gt^2</math></td> <td data-bbox="1000 689 1294 958"><math>g = 2s/t^2</math> <b>Or</b> Re-arrange <math>s = \frac{1}{2} gt^2</math> substituting in s and t to find g.</td> </tr> <tr> <td data-bbox="236 958 469 1227">Measure distance between frames (at beginning and) end of drop using the rule</td> <td data-bbox="469 958 762 1227">Time between frames known and count frames <b>Or</b> if stated <math>u = 0</math> then time for ball to fall and the time between frames.</td> <td data-bbox="762 958 1000 1227">Use speed = <math>\Delta s/\Delta t</math> to find their final velocity using correct time interval [may take u as 0]</td> <td data-bbox="1000 958 1294 1227"><math>g = (v-u)/t</math> <b>Or</b> <math>a = (v-u)/t</math></td> </tr> <tr> <td data-bbox="236 1227 469 1420">Record the position on the rule each frame</td> <td data-bbox="469 1227 762 1420">Time between frames</td> <td data-bbox="762 1227 1000 1420">Calculate the speed each frame using d/t and plot a graph of <math>v^2</math> against s.</td> <td data-bbox="1000 1227 1294 1420">Gradient/2 = acceleration</td> </tr> </tbody> </table> <p data-bbox="236 1420 1294 1487">Accept metre stick or ruler in place of metre rule (The candidate may refer to the acceleration of free fall as 'a' or 'g')</p>	Distance measured with the metre rule	<u>Corresponding</u> time	<u>Correct</u> use of measurements referred to in columns 1 and 2	To calculate g use: (formula/expression seen)	Record the position on the rule for each frame	Time between frames	Plot distance against $t^2$	$g = 2 \times \text{gradient}$	Measure distance between (successive) frames against a metre rule	Time between frames	Calculate the speed each frame using distance /time and plot against time	$g = \text{gradient}$	Use metre rule to measure: (total) distance ball falls through <b>Or</b> height from which the ball was dropped (e.g. 1 m)	Number of frames $\times$ time between frame <b>Or</b> total time of journey recorded/found	Use of: $s = ut + \frac{1}{2} at^2$ <b>Or</b> $s = \frac{1}{2} at^2$ <b>Or</b> $s = \frac{1}{2} gt^2$	$g = 2s/t^2$ <b>Or</b> Re-arrange $s = \frac{1}{2} gt^2$ substituting in s and t to find g.	Measure distance between frames (at beginning and) end of drop using the rule	Time between frames known and count frames <b>Or</b> if stated $u = 0$ then time for ball to fall and the time between frames.	Use speed = $\Delta s/\Delta t$ to find their final velocity using correct time interval [may take u as 0]	$g = (v-u)/t$ <b>Or</b> $a = (v-u)/t$	Record the position on the rule each frame	Time between frames	Calculate the speed each frame using d/t and plot a graph of $v^2$ against s.	Gradient/2 = acceleration	(1) (1) (1) (1)	
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<p>(a) (ii)</p>	<p>Ball may be released between 1st and 2nd images (so times used all too long because they include a short time before it is dropped)  <b>Or</b> ball released before the 1<sup>st</sup> image so <math>u</math> is not 0  <b>Or</b> the ruler is not vertical/straight  <b>Or</b> the idea that the camera has not been calibrated correctly i.e. runs too fast/slow  <b>Or</b> the idea that there is a parallax error from camera to object</p> <p>(Parallax alone is insufficient)                  (Do not award a mark for air resistance)</p>	<p>(1)</p>	<p>1</p>								
<p>(b)</p>	<p>Small / dense / streamlined shape / smooth surface / shiny</p> <p>Correct explanation, e.g.:                  Small surface area– minimise drag                  Dense – weight &gt; upthrust <b>Or</b> weight &gt; drag                  Streamlined /aerodynamic– minimise drag <b>Or</b> ensure laminar flow                  Smooth surface – minimise drag <b>Or</b> ensure laminar flow                  Shiny – easy to see on the recording                  Small – easier to read scale (precisely)</p> <p>(Sphere is not acceptable for a property but statement such as ‘sphere to minimise drag’ can score 2<sup>nd</sup> mark)</p>	<p>(1)</p> <p>(1)</p>	<p>2</p>								
<p>(c)</p>	<p>Advantage                  Explanation                  (to score both marks the explanation must be linked to the advantage. Accept reverse arguments. Human error is not sufficient for reaction time).</p> <table border="1" data-bbox="236 967 1289 1308"> <thead> <tr> <th data-bbox="236 967 464 1003">Advantage</th> <th data-bbox="464 967 1289 1003">Explanation</th> </tr> </thead> <tbody> <tr> <td data-bbox="236 1003 464 1070">No reaction time</td> <td data-bbox="464 1003 1289 1070">Reduces uncertainties <b>Or</b> (time recorded) more precise/accurate</td> </tr> <tr> <td data-bbox="236 1070 464 1173">Can be paused /stopped to take readings.</td> <td data-bbox="464 1070 1289 1173">Measurements taken at exact times  <b>Or</b> positions against rule recorded more accurately.  <b>Or</b> velocities can be calculated frame by frame (more readings)</td> </tr> <tr> <td data-bbox="236 1173 464 1308">Allows repeated playback <b>Or</b> rewinding</td> <td data-bbox="464 1173 1289 1308">Allows values to be checked/confirmed  <b>Or</b> values obtained are more reliable</td> </tr> </tbody> </table>	Advantage	Explanation	No reaction time	Reduces uncertainties <b>Or</b> (time recorded) more precise/accurate	Can be paused /stopped to take readings.	Measurements taken at exact times <b>Or</b> positions against rule recorded more accurately. <b>Or</b> velocities can be calculated frame by frame (more readings)	Allows repeated playback <b>Or</b> rewinding	Allows values to be checked/confirmed <b>Or</b> values obtained are more reliable	<p>(1)</p> <p>(1)</p>	<p>2</p>
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Q5.

Question Number	Answer	Mark
(a)	Same (downwards) acceleration <b>Or</b> acceleration = $g$ (accept constant acceleration)	(1) 1
(b)(i)	The ball is in contact with the floor (accept the ball bounces)	(1) 1
(b)(ii)	Lower gradient <b>Or</b> the lines would be not be as steep	(1) 1
(c)	Use of equation(s) of motion to find $s$ <b>Or</b> use of distance = area under the graph <b>Or</b> use of GPE = KE $s = 1.1 \text{ m} - 1.4 \text{ m}$  <u>Example of calculation</u> $(4.7 \text{ m s}^{-1})^2 = (0 \text{ m s}^{-1})^2 + (2 \times 9.81 \text{ m s}^{-2} \times s)$ $s = 1.13 \text{ m}$	(1) (1) 2
(d)(i)	Use of KE = $\frac{1}{2}mv^2$ KE = 1.1 – 1.3 (J) (no ue)  <u>Example of calculation</u> KE = $\frac{1}{2} \times 0.40 \text{ kg} \times (2.4 \text{ m s}^{-1})^2$ = 1.15 J	(1) (1) 2
(d)(ii)	Use of GPE = KE $h = 0.27 \text{ m} - 0.32 \text{ m}$ (ecf from 16(d)(i))  (If area under graph or an equation of motion is used e.g. $h = \frac{(u+v)t}{2}$ or $v^2 = u^2 + 2as$ only MP2 can be scored)  <u>Example of calculation</u> $h = \frac{1.2 \text{ J}}{0.4 \text{ kg} \times 9.81 \text{ Nkg}^{-1}}$ $h = 0.31 \text{ m}$	(1) (1) 2
(e)	(Elastic potential) energy transferred to thermal energy <b>Or</b> energy dissipated as heat	(1) 1
<b>Total for question</b>		<b>10</b>

Q6.

Question Number	Answer	Mark
(a)(i)	The ball has bounced <b>Or</b> the ball would be below initial height <b>Or</b> the ball has landed before reaching the goal <b>Or</b> the ball has hit the ground	(1) 1
(a)(ii)	Correct shape of at least one trajectory, starting at the kick and ending at/beyond the goal  Range/position of the higher angle > range/position of lower angle ball seen with paths labelled  Example of response scoring 2 marks  	(1) 2
(b)(i)	Use of $(u_H) = u \cos 15$ <b>Or</b> $u \sin 75$ <b>Or</b> see $25(.1) \text{ m s}^{-1}$ Use of $u = s/t$ to calculate the time to the goal <b>Or</b> see $0.44 \text{ s}$ Use of $(u_V) = u \sin 15$ <b>Or</b> $u \cos 75$ <b>Or</b> see $6.7 \text{ m s}^{-1}$ Use of $s = ut + \frac{1}{2} at^2$ ( $a$ must be negative) $s = 2.0 \text{ m}$  Use of (value obtained + the $0.22 \text{ m}$ (or $0.11 \text{ m}$ )) to make a sensible statement as to whether or not the goal will be scored e.g. the top of the ball on reaching the goal $2.23 \text{ m}$ . (This is less than $2.4 \text{ m}$ and) the goal will be scored  (Answer must be consistent with calculated distance. For calculated heights greater than $2.4 \text{ m}$ , candidates do not need to refer to radius /diameter but a comparison of heights is needed.)  <u>Example of calculation</u> $t = \frac{11 \text{ m}}{26 \text{ ms}^{-1} \times \cos 15^\circ} = 0.44 \text{ s}$ $s = (26 \text{ m s}^{-1} \times \sin 15^\circ)(0.44 \text{ s}) + (\frac{1}{2})(-9.81 \text{ N kg}^{-1})(0.44 \text{ s})^2$ $s = 2.01 \text{ m}$ Height of the top of the ball on reaching the goal = $2.01 \text{ m} + 0.22 \text{ m} = 2.23 \text{ m}$	(1) 6
(b)(ii)	Air resistance is in the opposite direction to the ball's motion <b>Or</b> air resistance adds a backwards force <b>Or</b> work is done against air resistance  The ball will decelerate (horizontally) <b>Or</b> the ball will have a decreasing velocity/speed <b>Or</b> the ball will not travel as far <b>Or</b> this reduces the maximum height the ball reaches <b>Or</b> the ball is in the air for less time <b>Or</b> the ball will take longer to reach the goal	(1) 2
<b>Total for question</b>		<b>11</b>

Q7.

Question Number	Answer	Mark
(i)	Weight/ $W/mg$ Upthrust/ $U$ Drag/Friction/Fluid resistance/ $F/D/V$  (all lines must touch the black dot and should be approximately vertical by eye) (-1 for each additional force)	(1) (1) (1)  3
(ii)	(QWC – work must be clear and organised in a logical manner using technical terminology where appropriate)  <u>Upthrust</u> is greater for the larger bubble  Drag/friction increases  Upthrust increases more than drag Or greater (initial) resultant force on bubble Or higher terminal velocity Or upthrust is related to volume/radius <sup>3</sup> and drag related to area/radius <sup>(2)</sup>	(1)  (1)  (1)  3

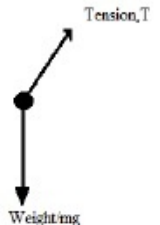
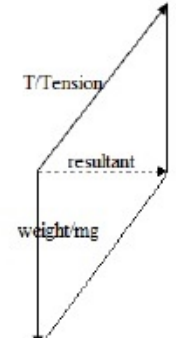
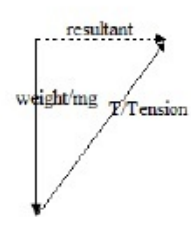
Q8.




Question Number	Acceptable answers	Additional guidance	Mark
(a)	<ul style="list-style-type: none"> <li>use of <math>\rho = m/V</math> and <math>W = mg</math> to calculate upthrust (1)</li> <li>use of downward force of lid = upthrust – weight of diver (1)</li> <li>downward force of lid = 0.021 (N) (1)</li> </ul>	<u>Example of calculation</u> $m_{displaced} = 1.0 \times 10^3 \text{ kg m}^{-3} \times 8.0 \times 10^{-6} \text{ m}^3$ $= 8.0 \times 10^{-3} \text{ kg}$ $U = 8.0 \times 10^{-3} \text{ kg} \times 9.81 \text{ N kg}^{-1} = 0.0785 \text{ N}$ $W = 0.0059 \text{ kg} \times 9.81 \text{ N kg}^{-1} = 0.0579 \text{ N}$ Lid force = $0.0785 \text{ N} - 0.0579 \text{ N}$ $= 0.0206 \text{ N}$	3

Question Number	Acceptable answers	Additional guidance	Mark
(b)	<p><b>Either</b></p> <ul style="list-style-type: none"> <li>• use of force of lid = <math>V\rho g</math> (1)</li> <li>• volume of air = <math>8.0 \times 10^{-6} \text{ m}^3</math> - their value (1)</li> <li>• volume of air = <math>5.9 \times 10^{-6} \text{ (m}^3)</math> (1)</li> </ul> <p><b>Or</b></p> <ul style="list-style-type: none"> <li>• use of upthrust on diver = weight of diver (1)</li> <li>• use of upthrust = <math>V\rho g</math> (1)</li> <li>• volume of air = <math>5.9 \times 10^{-6} \text{ (m}^3)</math> (1)</li> </ul>	<p><u>Example of calculation</u></p> <p>volume = <math>0.0206 \text{ N} \div 9.81 \text{ N kg}^{-1} \div 1.0 \times 10^3 \text{ kg m}^{-3}</math>  <math>= 2.1 \times 10^{-6} \text{ m}^3</math>            new volume of air = <math>8.0 \times 10^{-6} \text{ m}^3 - 2.1 \times 10^{-6} \text{ m}^3</math>  <math>= 5.9 \times 10^{-6} \text{ m}^3</math></p>	3

Question Number	Acceptable answers	Additional guidance	Mark
(c)	<ul style="list-style-type: none"> <li>• use of <math>pV = \text{constant}</math> (1)</li> <li>• <math>p = 1.4 \times 10^5 \text{ Pa}</math> (1)</li> </ul>	<p><u>Example of calculation</u></p> <p><math>p_1 \times V_1 = p_2 \times V_2</math>  <math>p_2 = 1.01 \times 10^5 \text{ N m}^{-2} \times 8.0 \times 10^{-6} \text{ m}^3 / 5.9 \times 10^{-6} \text{ m}^3</math>  <math>p = 1.37 \times 10^5 \text{ Pa}</math></p>	2

Q9.

Question Number		Mark
<p><b>(a)(i)</b></p>	<p>Weight (accept <math>W</math> or <math>mg</math> or gravitational pull/force) ('gravity' doesn't get the mark)</p> <p>Tension (accept <math>T</math>)</p> <p>(Both arrows and labels required for each marking point )</p> <div style="text-align: center;">  </div> <p>(Arrows must touch mass for marks; ignore any arrows, for correct or incorrect forces, not touching)</p> <p>(Minus one from maximum possible mark for each additional force (e.g. resultant, pull) or other arrow (e.g. speed or motion) touching mass)</p>	<p>(1)</p> <p>(1)</p> <p style="text-align: center;"><b>2</b></p>
<p><b>(a) (ii)</b></p>	<p>A triangle or parallelogram with <math>W</math> and <math>T</math> in correct position for vector addition with correct labels and directions.</p> <p>Triangle or parallelogram completed correctly with resultant in correct directions.</p> <p>(Can score 2 marks even if the resultant is not horizontal)</p> <p>e.g. (scores 2 marks)</p> <div style="display: flex; justify-content: space-around; align-items: center;"> <div style="text-align: center;">  </div> <div style="text-align: center;">  </div> </div>	<p>(1)</p> <p>(1)</p> <p style="text-align: center;"><b>2</b></p>

(a)(iii)	$ma/mg = \tan \theta$ <b>OR</b> $T \cos \theta = mg$ and $T \sin \theta = ma$ (seen or substituted into)  $a = 1.2 \text{ (m s}^{-2}\text{)}$  <u>Example of calculation</u> $a = \tan 7^\circ \times g = \tan 7^\circ \times 9.81 \text{ m s}^{-2}$ $= 1.2 \text{ m s}^{-2}$	(1)  (1)  <b>2</b>
(b)(i)	Straight down (by eye) 	(1)  <b>1</b>
(b)(ii)	To left, angle between string and roof to be less than $83^\circ$ but not horizontal 	(1)  <b>1</b>
(b)(iii)	To right, at any angle except horizontal 	(1)  <b>1</b>
(c)	Always has weight <b>Or</b> gravitational force <b>Or</b> force due to gravity so tension needs a vertical component  <b>Or</b> Use of the equation $ma/mg = \tan \theta$ Leading to the idea of infinite value of $\tan \theta$ requiring infinite acceleration	(1) (1)  (1) (1)  <b>2</b>
(d)	Any correct physics answer that uses the concept of the independence of motion at right angles  e.g. (to detect movement) in the x,y,z directions/planes/axes <b>Or</b> up-down, left-right and forwards-backwards	(1)  <b>1</b>
	<b>Total for question</b>	<b>12</b>

Q10.

Question Number	Acceptable Answers	Mark
(a)	<b>Laminar:</b> Continuous lines, not crossing, below the wing, with at least 2 continuing beyond the wing	(1)
	<b>Turbulent:</b> swirls, crossing lines, changes of direction greater than $90^\circ$ <b>only</b> above the wing, not necessarily attached to the lines from the left	(1)
		2

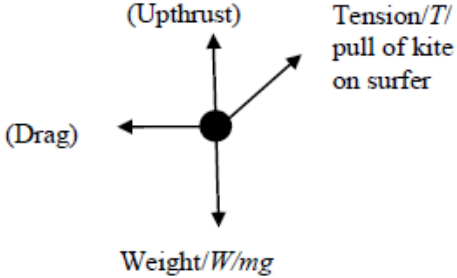
Question Number	Acceptable Answers	Mark
(b)(i)	The idea that a (component of ) lift = weight	(1)
	See $L \cos 20^\circ$ or $mg / \cos 20^\circ$	(1)
	$L = 0.66$ or $0.7$ (N)	(1)
	<u>Example of calculation</u> Vertical component of lift = weight $L \cos 20^\circ = 0.063 \text{ kg} \times 9.81 \text{ N kg}^{-1}$ $L = 0.66$ (N)	3

Question Number	Acceptable Answers	Mark
(b)(ii)	Find the horizontal component of lift (drag) using trig or Pythagoras	(1)
	$(L \sin 20^\circ, W \tan 20^\circ, \sqrt{L^2 - W^2})$	
	Use of $F = ma$	(1)
	Acceleration = (-) 3.6 to 3.7 $\text{m s}^{-2}$ (ecf)	(1)
	<u>Example of calculation</u> $L_{\text{horizontal}} = -L \sin 20^\circ = -0.66 \text{ N} \times \sin 20^\circ = -0.226$ (N) $\text{acceleration} = \frac{-0.226 \text{ N}}{0.063 \text{ kg}}$ $\text{acceleration} = -3.57 \text{ m s}^{-2}$	3

Question Number	Acceptable Answers	Mark	
<b>(c)(i)</b>	Bird/leg exerts force/push (down) on ground	(1)	<b>4</b>
	<u>N3</u> ground exerts a force (up) on bird	(1)	
	Force $\neq / >$ weight <b>Or</b> there is a resultant/unbalanced force	(1)	
	Due to <u>N2 / N1</u> bird accelerates	(1)	

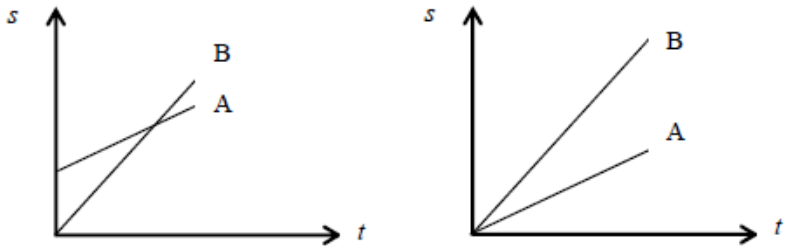
Question Number	Acceptable Answers	Mark	
<b>(c)(ii)</b>	Maximum force read from graph = 2.00 N to 2.10 N	(1)	<b>3</b>
	resultant force = $F - W$ (1.37 N to 1.43 N)	(1)	
	Answer = $23 \text{ m s}^{-2}$	(1)	
	<u>Example of calculation</u> Maximum force = 2.05 N $2.05 \text{ N} - (0.063 \text{ kg} \times 9.81 \text{ m s}^{-2}) = 0.063 \text{ kg} \times a$ $a = 22.7 \text{ m s}^{-2}$		
	<b>Total for question</b>	<b>15</b>	

Q11.

Question Number	Answer	Mark
(a)(i)	<p>Tension line and arrow correctly drawn and labelled (1)            Weight line and arrow correctly drawn and labelled (1)</p> <div style="text-align: center;">  </div> <p>(Tension can be on either side. If 2 marks have been awarded subtract 1 mark if the drag has been included and is not a horizontal force opposing the tension)</p>	2
(a)(ii)	<p>Use of correct trig function to find horizontal component of the tension (1)  <math>T_{\text{horizontal}} = 840 \text{ (N)}</math> (1)</p> <p><u>Example of calculation</u>            Horizontal component of tension = <math>T \cos \theta</math>  <math>T_{\text{horizontal}} = 1100 \text{ N} \times \cos 40^\circ</math>  <math>T_{\text{horizontal}} = 843 \text{ N}</math></p>	2
(a)(iii)	<p><math>T_{\text{vertical}} = 1100 \sin 40^\circ</math> Or <math>T_{\text{vertical}} = 707 \text{ (N)}</math> seen (1)</p> <p>Use of <math>W = mg</math> (1)</p> <p>Use of <math>mg = U + T_{\text{vertical}}</math> with a sensible statement discussing what would happen if <math>T_{\text{vertical}} = W</math> Or <math>T_{\text{vertical}} &gt; \text{weight}</math> Or <math>T_{\text{vertical}} &lt; \text{weight}</math> (1)</p> <p>e.g.  <math>T_{\text{vertical}} = W</math> Or mass = 72 kg: Upthrust is zero  <math>T_{\text{vertical}} &gt; \text{weight}</math> Or mass &lt; 72 kg: Can't have a negative upthrust  <math>T_{\text{vertical}} &lt; \text{weight}</math> Or mass &gt; 72 kg: To provide some upthrust</p> <p><u>Example of calculation</u>  <math>T_{\text{vertical}} = T \sin 40^\circ (= 707 \text{ N})</math> OR <math>mg = U + T_{\text{vertical}}</math>  <math>mg = U + 707 \text{ N}</math>  <math>\text{mass} = \frac{707 \text{ N}}{9.81 \text{ N kg}^{-1}} = 72.1 \text{ kg}</math></p>	3

*(b)	(QWC – work must be clear and organised in a logical manner using technical terminology where appropriate)		
	C	(1)	
	<b>Max 3</b> The horizontal component of the tension in the line produces the forward force acting on the surfer Or horizontal component of tension = $T \cos \theta$ (accept $T_{\text{horizontal}} = 1100 \cos \theta$ )	(1)	
	As the angle to the horizontal ( $\theta$ ) decreases Or As the angle to the vertical ( $\theta$ ) decreases $\rightarrow T \cos \theta$ increases Or the forwards force on the surfer increases Or the smallest $\theta$ gives the maximum/greatest force	(1)	
	Work done increases	(1)	
	Power transferred to surfer = $\frac{\text{work done}}{\text{time}}$ has increased hence the power increases Or more work done per second on the surfer so the power increases	(1)	4
	<b>Total for question</b>		<b>11</b>

Q12.

Question Number	Answer	Mark
(i)	Both graphs straight from $t = 0$ (labels not required)	(1)
	Initial gradient of A less than gradient of B (minimum of 1 label required)	(1)
	(The lines do not have to meet i.e. the lines could stop before the meeting point The lines can start anywhere on the displacement axes)	
		2
(ii)	Measurement from photographs 0.5 - 0.7 (cm)	(1)
	Use of distance = measurement $\times 12$	(1)
	Use of speed = distance/time	(1)
	speed = 0.18 – 0.25 $\text{m s}^{-1}$	(1)
	<u>Example of calculation</u> Measurement = 0.55 cm Distance = $0.55 \times 10^{-2} \text{ m} \times 12 = 6.6 \times 10^{-2} \text{ m}$ speed = $\frac{6.6 \times 10^{-2} \text{ m}}{0.33 \text{ s}}$ speed = 0.20 $\text{m s}^{-1}$	4

Q13.

Question Number	Acceptable Answers	Mark
(a)	As the temperature increases the viscosity decreases (1) at a decreasing rate <b>Or</b> the rate of decrease is greater at lower temperatures <b>Or</b> exponentially (1) (do not accept quicker/slower in place of greater/smaller) (a statement that quantities are inversely proportional can score MP1 only)	2

Question Number	Acceptable Answers	Mark
(b)(i)	$F = N$ <b>Or</b> $F = \text{kg m s}^{-2}$ <b>Or</b> $\text{Pa m}^2$ , $r = \text{m}$ and $v = \text{ms}^{-1}$ seen (1) $\text{Pa} = \text{N m}^{-2}$ clearly shown (1) <u>Example of calculation</u> $\eta = \frac{\text{N}}{\text{m} \times \text{m s}^{-1}} = \text{N m}^{-2} \text{ s} = \text{Pa s}$	2

Question Number	Acceptable Answers	Mark
(b)(ii)	Reading from graph of viscosity: 1.09 to 1.13 ( $\times 10^{-3}$ )(Pa s) (1) Use of $F = mg$ <b>and</b> $F = 6\pi r\eta v$ <b>Or</b> use of $mg = 6\pi r\eta v$ (1) $v = 3.7$ to $3.8$ ( $\text{m s}^{-1}$ ) (must be at least 2 sig figs) (1) <u>Example of calculation</u> $v = \frac{4.0 \times 10^{-6} \text{ kg} \times 9.81 \text{ N kg}^{-1}}{6 \times \pi \times 5.0 \times 10^{-4} \text{ m} \times 1.11 \times 10^{-3} \text{ Pa s}}$ $v = 3.75$ ( $\text{m s}^{-1}$ )	3

Question Number	Acceptable Answers	Mark
*(c)	<p><b>(QWC – work must be clear and organised in a logical manner using technical terminology where appropriate)</b></p> <p><b>Max 3</b></p> <p>Viscosity of biodiesel is high  <b>Or</b> viscosity of biodiesel higher than diesel  <b>Or</b> viscosity of biodiesel needs reducing (1)</p> <p>Freezing point of biodiesel is high  <b>Or</b> freezing point of biodiesel is higher than diesel (1)</p> <p>Adding ethanol/blending reduces <math>\eta</math>/freezing point  <b>Or</b> adding ethanol/blending makes <math>\eta</math>/freezing point closer to that for diesel  (1)</p> <p>Ethanol/ alcohol alone has too low an energy content (1)</p>	3
	<b>Total for question</b>	<b>10</b>

Q14.



(c)(i)	Correctly identifies a region of laminar flow and region of turbulent flow	(1)	1
(c)(ii)	the idea that there is turbulent flow Or ball is moving fast Or this is a large sphere  Or Statement about Stokes law force for laminar flow only Or Stoke's law assumes that the ball is moving slowly (which this is not) Or Stoke's law is for a small sphere (and the hollow ball is large)  Or A large amount of eddies increases the drag	(1)	1
(d)	<b>Max 3</b> Falls with constant acceleration  At about 0.8 s: the ball bounces Or the ball changes direction  Speed of ball after the bounce is less than the speed before the bounce  Max height reached at about 1.3 s.  Accelerations are the same before and after the bounce	(1)  (1)  (1)  (1)	3
<b>Total for question</b>			<b>14</b>

Q15.

Question Number	Answer	Mark											
(a)(i)	Identifies that the two chocolates on the graph are at different temperatures  The greater the temperature of the chocolate, the lower the viscosity	(1)  (1)  <b>2</b>											
(a)(ii)	Marked anywhere vertically above $10^1$ Pa s.	(1)  <b>1</b>											
(b)	Use of drag = upthrust  Use of $F = 6\pi r\eta v$  $v = 2.0 \times 10^{-4} \text{ m s}^{-1}$  <u>Example of calculation</u> $v = \frac{3.7 \times 10^{-5} \text{ N}}{6 \times \pi \times 1.0 \times 10^{-8} \text{ m} \times 10 \text{ Pa s}}$ $v = 1.96 \times 10^{-4} \text{ m s}^{-1}$	(1)  (1)  (1)  <b>3</b>											
(c)	<table border="1" style="width: 100%;"> <tr> <td style="width: 20%;">Problem</td> <td>Bubbles forming and not rising to the surface to break</td> </tr> <tr> <td>Solution</td> <td>Reduce the viscosity of the chocolate Or heat up the chocolate</td> </tr> <tr> <td rowspan="4">Explanation</td> <td>The greater the viscosity: the greater the viscous drag Or the lower the (terminal) velocity</td> </tr> <tr> <td>The bubbles rise slower</td> </tr> <tr> <td><b>OR</b></td> </tr> <tr> <td>The lower the viscosity: the lower the viscous drag Or the greater the (terminal) velocity</td> </tr> <tr> <td></td> <td>The bubbles are able to rise to the top quicker Or the bubbles rise to the top in time before the chocolate sets</td> </tr> </table> <p>(The 3 marking points can be awarded if seen anywhere within part (c))</p>	Problem	Bubbles forming and not rising to the surface to break	Solution	Reduce the viscosity of the chocolate Or heat up the chocolate	Explanation	The greater the viscosity: the greater the viscous drag Or the lower the (terminal) velocity	The bubbles rise slower	<b>OR</b>	The lower the viscosity: the lower the viscous drag Or the greater the (terminal) velocity		The bubbles are able to rise to the top quicker Or the bubbles rise to the top in time before the chocolate sets	(1)  (1)  (1)  (1)  (1)  <b>3</b>
Problem	Bubbles forming and not rising to the surface to break												
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	The lower the viscosity: the lower the viscous drag Or the greater the (terminal) velocity												
	The bubbles are able to rise to the top quicker Or the bubbles rise to the top in time before the chocolate sets												
<b>Total for question</b>		<b>9</b>											