

1)

(a)	(i)	<b>energy transferred from source/changed from some form to electrical energy;</b> per unit charge (to drive charge round a complete circuit)	<b>M1</b> A1	allow energy <u>divided by</u> charge
	(ii)	any source has an <u>internal resistance</u> where energy is transferred into thermal energy /lost as heat	B1 B1	there will be 'lost' volts (across the cell when a current is drawn) <b>or</b> $V = E - Ir$ explained
(b)	(i)	$V = IR$ $1.2 = 0.2 R$ $R = 6.0 \Omega$	C1 A1	substitution needed to score mark <b>allow</b> $6 \Omega$
	(ii)	$1.6 - 1.2 = 0.4 = 0.2 r$ $r = 2.0 \Omega$	C1 A1	<b>allow</b> $2 \Omega$
(c)	(i)1	$Q = It = 0.20 \times 3600 \times 1.5$ $= 1100$ correct unit,	C1 A1 B1	substitution needed to score mark 1080 <b>allow</b> 1 mark max for 0.3 or 18 <b>allow</b> C, kC, A s <b>exception</b> 0.3 A h or 18 A min scores 3 marks
	(i)2	energy = $QV = 1100 \times 1.2$ <b>or</b> $I^2Rt = 0.2^2 \times 6 \times 5400$ $= 1320$ (J)	C1 A1	<b>ecf (c)(i)1</b> substitution needed to score mark 1296(1080) <b>allow</b> 1 mark for 1728 (using 1.6)
	(ii)	I is constant for about 9 to 10 hours because <u>internal</u> resistance remains constant/cell operates at constant <u>emf</u> I falls <u>rapidly/towards zero</u> over last hour or so because <u>cell's/chemical energy</u> is used up (so E falls)	B1 B1 B1 B1	QWC must have link between observation and reason to score full marks  <b>accept</b> r of cell increases causing fall in V or I
<b>Total</b>			<b>17</b>	

2)

(a)	(i)	energy transferred from source/changed from some form to electrical energy; per unit charge (to drive charge round a complete circuit)	M1 A1	<b>allow</b> chemical
	(ii)	(some) energy is transferred into thermal energy /lost as heat in (driving charge through) the battery. It behaves as if it has an (internal) resistance/AW <b>or</b> there is a voltage drop across/decrease in voltage from the battery when a current is drawn from it/AW	B1	<b>allow</b> any description which uses $E = V + Ir$ with symbols defined but <b>not</b> just the formula alone <b>or</b> e.g. statement about 'lost volts'/current
(b)	(i)	correct substitution into resistors in parallel formula $R = 90 \Omega$	C1 A1	$1/R = 1/90$ or 0.011 correct answer
	(ii)	using $V_{out} = R_2/(R_1 + R_2) V_{in}$ : <b>alt:</b> $16 = I \times 120$ $V_{out} = 90/(30 + 90) 16$ so $I = 0.133$ A $V_{out} = 12$ V $V_{out} = 0.13 \times 90 = 12$ V	C1 C1 A1	<b>ecf (b)(i)</b> <b>accept</b> $V_{out} = (90/120) \times 16 = 12$ V for full marks <b>N.B.</b> beware of false ratios, e.g. $360/(120 + 360)$ giving correct answer; give first marking point only <b>max</b> 4 marks
	(iii)	resistance (of thermistor) decreases (with temperature increase) current in <u>circuit</u> increases <b>or</b> as <u>total</u> resistance is less so current in thermistor increases voltage ratio between $30 \Omega$ and combination changes so voltage across thermistor falls	B1 M1 A1 M1 A1	QWC mark is either of the M marks
(c)	(i)	$Q = It = 1.2 \times 8 \times 60 \times 60$ $Q = 34560$ (C)  correct unit,	C1 A1 B1	<b>accept</b> $3.5$ or $3.46 \times 10^4$ <b>allow</b> 1 mark for answer of 9.6 or 576 <b>allow</b> C, kC, A s; <b>N.B.</b> 9.6 A h or 576 A min score 3/3
	(ii)	energy = $34560 \times 16 = 552960$ J <b>or</b> $I = 1.4/16 = 0.0875$ A time = $552960/1.4 = 394970$ s <b>then</b> $t = 34560/I$ time = $394970/3600 = (109.7$ h) = 110 h	C1 C1 A1	<b>ecf (c)(i)</b> <b>allow</b> full marks for $1.2 \times 8 \times 16/1.4 = 110$ h <b>allow</b> 111 h when using $3.5 \times 10^4$ C
<b>Total</b>			<b>18</b>	

3)

<b>a</b>	<b>i</b>	correct symbols (variable) R in series with ammeter and cell voltmeter correctly in parallel with variable R	B1 B1 B1	variable R and voltmeter needed <b>ecf</b> variable resistor symbol <b>accept</b> voltmeter in parallel with cell
	<b>ii1</b>	V decreases as I increases caused by R decreasing  V is large when R is large <b>or</b> V is small when R is small V = e.m.f. when R is infinite/open circuit <b>or</b> V = 0 when R = 0  3.14 $\Omega$ at A; 0.88 $\Omega$ at B and 0.19 $\Omega$ at C  any correct reference to internal resistance of cell	B1 B1       B1	<b>max 3 marks</b> with 2 marks for first two or second two marking points or three numbers and 1 mark for reference to r <b>allow</b> as R increases (decreases) V increases (decreases) for 1 mark but <b>not</b> as V increases R increases; <b>award 0/2</b> if reason given as $V \propto R$ or I is constant
	<b>ii2</b>	at A I is small or V is much bigger than I/AW at C V is small or I is much bigger than V/AW product of V. and I is largest when the values of both quantities are about equal/half of the maximum value	B1 B1  B1	<b>accept</b> numerical answers, e.g. 0.39 W at A, 0.33 W at C 0.56 W at B for 2 marks comment on values for third mark
	<b>ii3</b>	1.4 (V)	B1	
	<b>ii4</b>	appreciating V against I is a straight line graph with gradient $-r$ ; giving $r = 0.88 \pm 0.02 \Omega$	C1 A1	<b>accept</b> using $V = E - Ir$ <b>not</b> just quoting formula <b>allow</b> $0.8 \pm 0.02$ for calculation using any point on line N.B. can also have <b>ecf(ii)3</b>
<b>b</b>	<b>i</b>	intensity is the (incident) energy <u>per</u> unit area <u>per</u> second	B1	<b>accept</b> power per unit area or power per $m^2$ or (total) power/(surface) area
	<b>ii</b>	efficiency = power out/power in = $0.25/(800 \times 2.5 \times 10^{-3})$ = 0.125 or 12.5%	C1 C1 A1	<b>not</b> energy out/energy in <b>accept</b> 13%
<b>Total question 3</b>			<b>16</b>	

4)

<b>a</b>	<b>i</b>	$12/2.0 = 6.0 (\Omega)$	B1	<b>allow</b> 6; do not apply the SF penalty (N.B. applied only once per paper) for any answer where the second SF is 0
	<b>ii</b>	attempt to <u>use</u> resistors in parallel formula $1/R = 8/6$ $R = 0.75 (\Omega)$	C1 C1 A1	no mark for just quoting formula <b>ecf (a)(i)</b> <b>allow</b> $3/4 (\Omega)$
	<b>iii</b>	$P = V^2/R = 12^2/0.75$ <b>or</b> $8VI = 8 \times 12 \times 2$ <b>or</b> $I^2R = 16^2 \times 0.75$ = 192 W	C1 A1	<b>ecf (a)(ii)</b>
<b>b</b>		$\rho = RA/l$ = $6.0 \times 0.24 \times 2.0 \times 10^{-6}/0.9$ = $3.2 \times 10^{-6}$ $\Omega m$	C1 C1 A1 B1	correct rearrangement of formula <b>ecf (a)(i)</b> ; substitution into a correct formula 2/3 marks for one or more POT errors <b>accept</b> $3.2 \Omega \mu m$ ; $4 \times 10^{-7}$ scores 2/3
<b>c</b>	<b>i</b>	(As V is the same) then R must be the same to give <u>same</u> P	B1	<b>accept</b> alternative wording producing same argument, e.g. same I, same V so same R
	<b>ii</b>	$0.75/8 = 0.094 (\Omega)$	B1	<b>ecf (a)(ii)/8</b> ; <b>accept</b> 3/32 but NOT 0.09
	<b>iii</b>	for parallel circuit with break in one wire rest still work <b>or</b> series strips very wide (if use material of same resistivity as such low resistance/ giving poor visibility))	B1	any sensible statement
<b>d</b>	<b>i</b>	14 V	B1	
	<b>ii</b>	e.g. $V = 12 V$ ; $I = 20 A$ substitution into $E = V + Ir$ , e.g. $14 = 12 + 20 r$ $r = 0.1 \Omega$	C1 C1 A1	<b>or</b> any suitable pair of readings from graph <b>ecf(d)(i)</b> ; <b>accept</b> $r = \text{gradient}$ ; = $(14 - 10)/40$ or similar ; = 0.1 $\Omega$
<b>Total question 2</b>			<b>17</b>	

5)

(a)	(i)	energy transfer per unit charge from chemical/other to electrical form	B1 B1	<b>allow</b> energy per unit charge
	(ii)	$(Q = It =) 200 \times 4 \times 60 \times 60$ $= 2.9 \times 10^6$ (C)	M1 A1	<b>accept</b> 200 x 14400 <b>accept</b> $2.88 \times 10^6$
	(iii)	$E = QV = 2.88 \times 10^6 \times 24$ $= 6.9 \times 10^7$ (J)	C1 A1	<b>accept</b> 72 MJ if using 3 MC or 69.6 or 70 if using 2.9 MC
(b)	(i)	correct symbol and polarity connected to X and Y	B1	<b>allow</b> one cell or more or two cells with dotted lines between
	(ii)	$V = 30 - 24 = 6$ V $R = V/I = 6/120$ $= 0.05$ ( $\Omega$ )	M1 M1 A0	evidence of the V subtraction needed <b>do not allow</b> use of $E = V + Ir$ ; it must be <b>IR</b>
	(iii)	$P = VI = 6 \times 120$ $= 720$ ( $J s^{-1}$ )	C1 A1	<b>or</b> $I^2R = 120^2 \times 0.05$ <b>or</b> $V^2/R = 6^2 / 0.05$
	(iv)	$(3600 - 720)/3600 = 2880/3600$ $= 0.8$ $= 80$ (%)	C1 C1 A1	<b>ecf b(iii)</b> ; using 2880 instead of 3600 gives 75%; scores zero <b>allow</b> $(30 - 6)/30I = 24/30 = 0.8 = 80$ (%)
(c)	(i)	$t = Q/I = 2.88 \times 10^6 / 120$ <b>or</b> $E/VI = 69 \times 10^6 / (24 \times 120)$ $t = 2.4 \times 10^4 / 3600 = 6.7$ h	M1 A1	<b>ecf (a)(iii)</b> ; <b>accept</b> $3 \times 10^6$ giving $2.5 \times 10^4$ s and 6.9 h <b>allow ora</b> using 7.0 h giving $E = 72.5$ MJ
	(ii)	power supplied = $30 \times 120/1000 = 3.6$ kW cost = $3.6 \times 7 \times 26 = 655$ (p)	A1	<b>ecf c(i)</b> <b>accept</b> any consistent answer <b>do not allow</b> 2.88 kW giving 524 p <b>unless</b> repeated error from b(iv)
		<b>Total</b>	<b>17</b>	

6)

<b>a</b>		emf – $J C^{-1}$ , resistance – $V A^{-1}$ , energy – $V C$ , charge – $A s$	<b>B1</b> <b>B1</b>	4 correct 2 marks; 2 correct 1 mark
<b>b</b>	<b>i</b>	energy per unit charge transferred from electrical to other forms	<b>B1</b> <b>B1</b> <b>B1</b>	<b>NOT</b> coulomb <b>allow</b> any other form e.g. heat, light, etc
	<b>ii</b>	(some) energy is transferred into thermal energy /lost as heat in (driving charge through) the battery. It behaves as if it has an (internal) resistance/AW <b>or</b> there is a voltage drop across/decrease in voltage from the battery (when a current is drawn from it)/AW	<b>B1</b>	<b>allow</b> any description which uses $E = V + Ir$ but not just the formula alone, e.g. 'lost volts' per unit current is just acceptable
	<b>iii</b>	p.d. across each branch is the same/branches in parallel resistance in X branch is $6 \Omega$ , in YZ branch is $12 \Omega$ so current in X branch is twice that in YZ branch/ as $V = IR$	<b>B1</b> <b>B1</b> <b>A0</b>	<b>allow</b> R in X branch is half that in YZ branch/AW
	<b>iv</b>	$V = IR = 0.08 \times 6$ $V = 0.48$ (V)	<b>C1</b> <b>A1</b>	
	<b>v</b>	the p.d. across each $3 \Omega$ resistor is terminal p.d./2 <b>or</b> 0.48 V at Z there is $6 \Omega$ either way to the supply/AW so p.d. across each $6 \Omega$ is terminal p.d./2 so p.d. between X and Z is zero	<b>B1</b> <b>B1</b> <b>A0</b>	p.d./voltage across $3 \Omega$ and $6 \Omega$ are equal with justification
	<b>vi</b>	terminal p.d. = 0.96 V current in $r = 0.16 + 0.08 = 0.24$ A use of $E = V + Ir$ $1.2 = 0.96 + 0.24 r$ giving $r = 1.0$ ( $\Omega$ )	<b>C1</b> <b>C1</b> <b>C1</b> <b>A1</b>	<b>or</b> $V = 0.24 \times 4$ <b>or</b> $0.08 \times 12$ <b>or</b> $0.16 \times 6$ <b>or (iv) x 2</b> <b>alt:</b> R in parallel gives $4.0 \Omega$ ; total R = $1.2/0.24 = 5.0 \Omega$ $r = 5.0 - 4.0 = 1.0$ ( $\Omega$ ) <b>allow</b> 1SF
		<b>Total</b>	<b>15</b>	

7)

a	i	$Q = It = 0.45 \times 4.67 \times 60 \times 60$ = 7600 C or As	C1 A1 B1	<b>accept</b> 7560 or 7570
	ii 1,2	<b>1</b> positive; <b>2</b> clockwise  energy must be transferred to the cell <b>or</b> current in opposite direction transfers energy from the cell to the circuit/AW	M1  A1	positive plus correct direction of arrow for first mark; do not penalise if arrow not labelled I. <b>allow</b> (conventional) current is from positive to negative ; <b>or</b> electron flow from - to + [but current must be clockwise in 1]
	3	$V_{xy} = 1.5 + 0.45 \times 0.90$ $V_{xy} = 1.9$ (V)	C1 A1	<b>accept</b> 1.905 or 1.91
	4	$P = VI = 0.45 \times 1.5$ $P = 0.675$ (J s <sup>-1</sup> )	C1 A1	<b>allow</b> QV/t with <b>ecf a(i)</b> if necessary (11340/16800) <b>allow</b> 0.7 as final line if 0.675 appears above
b		<b>1.</b> cell across variable resistor R ammeter in series and voltmeter in parallel across R or cell <b>2.</b> Take (set of) readings of V and I for different positions/values of the variable resistor <b>3.</b> plot a graph of V against I <b>4.</b> (find) y-intercept = E <b>5.</b> (find) the gradient of the V against I graph which equals the internal resistance in magnitude <b>or 4 or 5</b> take one pair of values of V,I and substitute into equation $E = V + Ir$ to find r or E	B1  B1 B1 B1 B1	QWC last marking point needed for full marks  <b>allow</b> use (digital) voltmeter across <u>unloaded</u> cell to find E; add R and find one value of V and I; then use equation to find r (points 2 to 5) <b>ignore</b> sign of gradient in determining r <b>allow</b> for no graph plot, using 2 pairs of values of V and I substituted into equation allows r and E to be found.(points 2 to 5)
c	i	4 x 1.5 V cells gives 6.0 V with r of 3.6 Ω so current is $6.0 / (3.6 + 18) = 0.28$ A requires (2 W/6 V = ) 0.33 A to light normally or power delivered = $(0.28^2 \times 18 \text{ or } 5.0 \times 0.28) = 1.4$ W <b>alt:</b> use 0.33 A & 6 V to show need emf of 7.2 V (1.8 V per cell)	B1 B1 B1	<b>allow</b> AW such as: 6 V but total R now 21.6 Ω; 6 V across 21.6 Ω gives 5 V across 18 Ω; requires 6 V to light normally <b>allow</b> $P = 1. (6)7$ W for 2 marks; only give the third mark if P labelled as power delivered by cell
	ii	$1.5 n = 0.33 (18 + 0.9 n)$ <b>or</b> $1.5n = 6 + 0.3n$ so $3.6 n = 18$ <b>or</b> $1.2n = 6$ giving $n = 5$	M1 A1	<b>alt:</b> lamp needs $V = 6V$ and $I = 0.33$ A terminal p.d per cell is $1.5 = V + 0.9 \times 0.33$ giving $V = 1.2$ V so $n = 6/1.2 = 5$ <b>allow</b> trial and error method but working must be shown to score any marks
<b>Total question 3</b>			<b>19</b>	

8)

a		energy	A1	
b	i	energy ( <b>available</b> ) to be transferred from electrical to other forms <b>per unit charge</b> <b>or</b> energy transferred <b>across the terminals</b> from the supply <b>per unit charge</b>	B1 B1	<b>award</b> 1 mark for only one of the two bold phrases; 2 marks for both present <b>allow</b> 1 mark for answer which uses $V = E - Ir$ with explanation <b>or</b> the p.d. across (the terminals of) the supply when it is delivering a current (to an external circuit)
	ii	The supply behaves as if it has an (internal) resistance causing (some) energy to be <i>transferred into thermal energy/lost as heat</i> <b>or</b> there is a <i>voltage drop across/decrease in voltage</i> from the supply when a current is drawn from it/AW	B1	<b>NOT</b> the energy lost as heat inside the supply <b>allow</b> (causes) 'lost volts' per unit current (in the supply)
c	i	Take readings of V and I for several (five or more) positions/values of the variable resistor plot a graph of V against I the internal resistance is constant if the graph of V against I is a straight line <u>measure</u> the gradient of the V against I graph which equals the internal resistance <b>or</b> find y-intercept = E; find one pair of values of V,I substitute into equation $E = V + Ir$ to find r	B1 B1 B1 B1 B1	<b>Do not allow</b> any analysis with E assumed to be 6 V <b>allow</b> 2 pairs of values of V and I to be substituted into equation to find r ( non-graph method max 2/5) <b>allow</b> <u>find</u> or similar word ignore problem of minus sign, i.e. assume value only
	ii	as a <u>safety/limiting</u> resistor <b>or</b> so the supply is not short-circuited (when variable resistor is reduced to zero)/AW	B1	<b>allow</b> e.g. to stop the current becoming too large/AW
d	i	arrow pointing clockwise	A1	arrow need not be on circuit wire
	ii	e.m.f = $4.5 - 2.4$ (= 2.1 V) $I = 2.1 / (0.6 + 0.4 + 2.0) = 2.1 / 3.0 = 0.70$ A	C1 A1	<b>allow</b> 0.7 A
	iii 1	1.4 (V)	A1	<b>ecf(d)(ii)</b> i.e. answer = 2 x ans(d)(ii) <b>NOT</b> ecf when $I = 1.05$ A/3.45 A giving 2.1 V/6.9 V
	iii 2	$V_x = 4.5 - 0.70 \times 0.6$ 4.1 (V)	C1 A1	<b>ecf(d)(ii)</b>
<b>Total question 3</b>			<b>16</b>	

9)

(a)		R's in parallel have same V/AW so $4.0 \times 0.30 = 6.0 \times 0.20$	<b>M1</b> <b>A1</b>	<b>allow</b> I splits in inverse ratio to R or AW; hence I in 6 ohm = $4 / 6 \times 0.3 = 0.2$ A
(b)	(i)	sum of/total current into a junction equals the sum of/total current out or total algebraic sum of currents is zero	<b>B1</b>	<b>allow</b> Kirchhoff's first law
	(ii)	0.50 (A)	<b>A1</b>	<b>accept</b> 0.5 (A) (no SF error)
(c)		correct formula for $R_p$ and substitution $R_p = 2.4 \Omega$ $R_s = 8.0 \Omega$	<b>C1</b> <b>C1</b> <b>A1</b>	<b>apply ecf</b> to $R_p$ for second mark <b>accept</b> 8 ( $\Omega$ ) (no SF error)
(d)	(i)	energy transferred from source/changed from some form to electrical energy; <u>per</u> unit charge (to drive charge round a complete circuit)	<b>M1</b> <b>A1</b>	<b>allow</b> form as e.g. light/chemical/heat <b>allow</b> energy <u>divided by</u> charge
	(ii)	$V = IR = 0.50 \times 8.0 = 4.0$ (V)	<b>A1</b>	<b>ecf b(ii),c</b> i.e. answer = b(ii) x c <b>accept</b> 4 (V) (no SF error)
	(iii)	$E - V = Ir$ giving $5.0 - 4.0 = 0.50 r$ $r = 2.0$ ( $\Omega$ )	<b>C1</b> <b>A1</b>	<b>ecf b(ii)</b> <b>accept</b> 2 ( $\Omega$ ) (no SF error); give max of 1 mark for $r = 3.3 \Omega$ , i.e. using $I = 0.3$ A
<b>Total</b>			<b>12</b>	

10)

(a)		$E = I(R + r)$	<b>B1</b>	
(b)	(i) <b>1</b> <b>2</b>	0.80 $\Omega$ 6.4 V	<b>B1</b> <b>B1</b>	
	(ii)	(sum of) e.m.f.s = sum /total of p.d.s/sum of voltages (in a loop)	<b>B1</b>	
	(iii)	$6.4 = 0.80I$ $I = 8.0$ A	<b>C1</b> <b>A1</b>	<b>can be 2 ecf</b> from (b)(i), eg $21.6/0.8 = 27$ A (1 ecf) or $21.8/0.68 = 31.8$ A (2 ecf)
(c)	(i)	$Q = It = 2.5 \times 6 \times 60 \times 60 = 54000$ (C)	<b>C1</b> <b>A1</b>	<b>allow</b> 1 mark if forgets one or two 60's giving 900 C or 15 C
	(ii)	energy = $QE = 54000 \times 14 = 756000$ (J)	<b>C1</b> <b>A1</b>	<b>allow</b> (use of 12 V gives) 648000 J for 1 mark
	(iii)	energy loss = $I^2Rt = VIt = 2 \times 2.5 \times 6.0 \times 60 \times 60 = 108000$ J percentage = $(108000/756000) \times 100 = 14\%$	<b>C1</b> <b>A1</b>	<b>accept</b> $Q\Delta V = 54000 \times 2.0 = 108000$ J <b>accept</b> $Q\Delta V/QE = 2.0/14.0 = 14\%$ <b>not</b> $756000/54000 = 14\%$
<b>Total question 2</b>			<b>12</b>	

11)

Question	Expected Answers	M	Additional Guidance	
a	i	ions	<b>B1</b>	
	ii	positive ions	<b>B1</b>	<b>allow</b> positive charges / cations
	iii	electrons	<b>B1</b>	
b	i	the battery has an internal resistance/AW some of the emf is across the (internal) resistance (leaving a smaller p.d. across motor)	<b>B1</b> <b>B1</b>	<b>accept</b> connecting leads have resistance <b>accept</b> $V = E - Ir$ or 'lost volts'/p.d. across r
	ii	use $E = V + Ir$ giving $12 = 8 + 40r$ $r = (12 - 8)/40$ or $4/40 = 0.10 \Omega$	<b>C1</b> <b>M1</b> <b>M1</b> <b>A0</b>	<b>accept</b> reverse solution, $0.10 \Omega \rightarrow 8 \text{ V} \rightarrow 12 \text{ V}$ substitution and or solution showing working
	iii	$Q = It = 40 \times 1.2$ $I = 48$ (C)	<b>C1</b> <b>A1</b>	
c	i	The current heats the filament The resistance/resistivity (of the metal filament) increases (with temperature).	<b>B1</b> <b>B1</b>	no mention of temperature increase or heating scores zero
	ii	4.5 to 8 A in <u>each (parallel) arm</u> or 9 to 16 A for both together needs to be great enough to cover initial surge/current or use antisurge fuses	<b>B1</b> <b>B1</b>	no mark if fuse value outside range
	iii	e.g. the starter motor draws 40 A so would need a bigger fuse than headlamp circuit so need different fuses for different situations or if battery used for starter motor with lights on will need too large a fuse – damage occurs before fuse blows/AW	<b>B1</b>	<b>accept</b> headlamp circuit damaged before fuse blows if 40 A fuse only used or fuse blows in starter circuit if 10 A used, etc.
<b>Total question 2</b>		<b>15</b>		